

QB365  
Model Question Paper 2  
9th Standard CBSE

**Mathematics**

Reg.No. :

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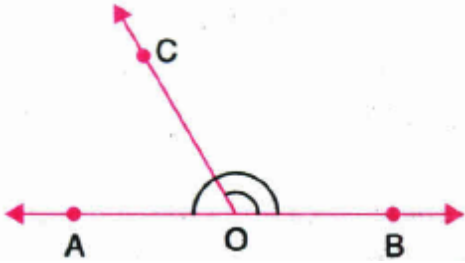
Time : 02:00:00 Hrs

Total Marks : 100

**Section-A**

- 1) An obtuse angle 1  
(a) measures between  $0^0$  and  $90^0$  (b) is greater than  $90^0$  but less than  $180^0$  (c) is exactly equal to  $90^0$   
(d) is exactly equal to  $180^0$
- 2) Two angles whose sum is  $90^0$  are called 1  
(a) supplementary angles (b) complementary angles (c) corresponding angles (d) alternate angles
- 3) The angles whose sum is  $180^0$  are called 1  
(a) supplementary angles (b) complementary angles (c) alternate angles (d) corresponding angles
- 4) A reflex angle 1  
(a) is greater than  $180^0$  but less than  $360^0$  (b) is exactly equal to  $180^0$  (c) is exactly equal to  $90^0$   
(d) is greater than  $90^0$  but less than  $180^0$
- 5) Two angles whose sum is  $90^0$  are called 1  
(a) Supplementary angles (b) complimentary angles (c) corresponding angles (d) alternate angles
- 6) An angle which is exactly equal to  $90^0$  is called 1  
(a) an obtuse angle (b) an acute angle (c) a straight angle (d) a right angle
- 7) The angle supplementary to  $60^0$  is 1  
(a)  $30^0$  (b)  $120^0$  (c)  $45^0$  (d)  $300^0$
- 8) The compliment of  $(90^0 - a^0)$  is 1  
(a)  $-a^0$  (b)  $90^0 + a^0$  (c)  $90^0 - a^0$  (d)  $a^0$
- 9) The angle of supplementary to  $90^0 + 9^0$  is 1  
(a)  $90^0 + 9^0$  (b)  $90^0 - 9^0$  (c)  $180^0 + 9^0$  (d)  $180^0 - 9^0$
- 10) Which of the following is not a pair of complementary angles? 1  
(a)  $60^0, 30^0$  (b)  $56^0, 34^0$  (c)  $0^0, 90^0$  (d)  $150^0, 30^0$
- 11) if the measure of an angle is twice the measure of its supplementary angle, then the measure of the angle is 1  
(a)  $60^0$  (b)  $90^0$  (c)  $120^0$  (d)  $80^0$
- 12) The angle which exceeds its complimentary angle by  $30^0$  1  
(a)  $50^0$  (b)  $120^0$  (c)  $60^0$  (d)  $80^0$

- 13) Two complementary angles are in the ratio 4:5 then angles are: 1  
 (a)  $90^{\circ}, 90^{\circ}$  (b)  $40^{\circ}, 50^{\circ}$  (c)  $30^{\circ}, 150^{\circ}$  (d)  $45^{\circ}, 45^{\circ}$
- 14) We can draw two different lines in 1  
 (a) Only one way (b) two different ways (c) three different ways (d) None of these
- 15) A line indicates 1  
 (a) Only one direction (b) two directions (c) no direction (d) None of these
- 16) In the following figure  $\angle AOB$  and  $\angle BOC$  are: 1



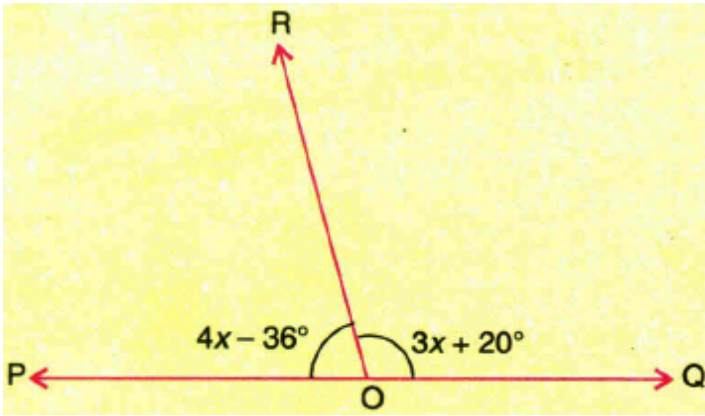
- (a) Supplementary angles (b) complementary angles (c) adjacent angles (d) None of these
- 17) A pair of angles is called linear pair if the sum of two adjacent angles is: 1  
 (a)  $90^{\circ}$  (b)  $180^{\circ}$  (c)  $230^{\circ}$  (d)  $360^{\circ}$
- 18) The value of x in figure is: 1  
 (a)  $80^{\circ}$  (b)  $20^{\circ}$  (c)  $25^{\circ}$  (d)  $40^{\circ}$
- 19) In figure the value x is 1  
 (a)  $30^{\circ}$  (b)  $10^{\circ}$  (c)  $20^{\circ}$  (d)  $40^{\circ}$
- 20) If two parallel lines are intersected by a transversal then corresponding angles are: 1  
 (a) Equal (b) Complimentary (c) Supplementary (d) Sum of the two angles is  $360^{\circ}$

### Section-B

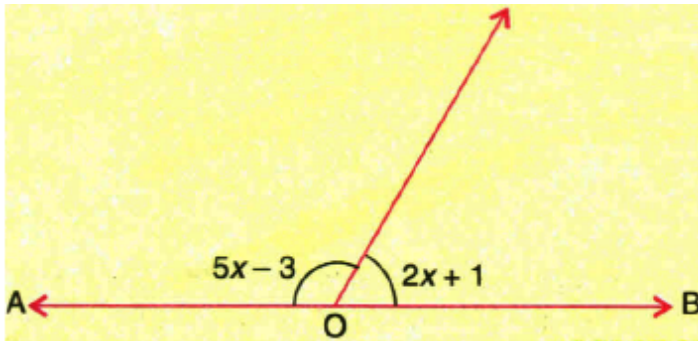
- 21) Two complementary angles are such that two times the measure of one to three times the measure of the other. Find the measure of the largest angle. 2
- 22) If  $(3x-58^{\circ})$  and  $(x+38^{\circ})$  are supplementary angles, find x and the angles. 2

23) (a) In the figure , what value of x will make POQ a straight line:

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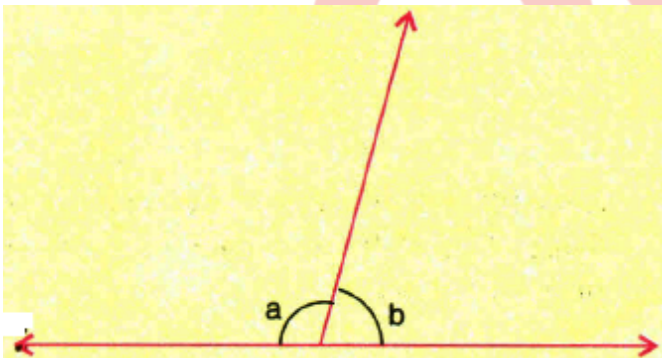


(b) In the given figure find the value of x, If AOB is a line



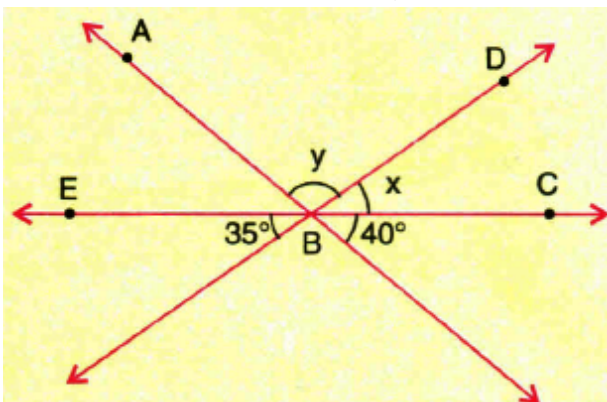
24) In the given figure a is greater than b, by  $\frac{1}{6}$  th of a straight angle Find the angles of a and b.

2



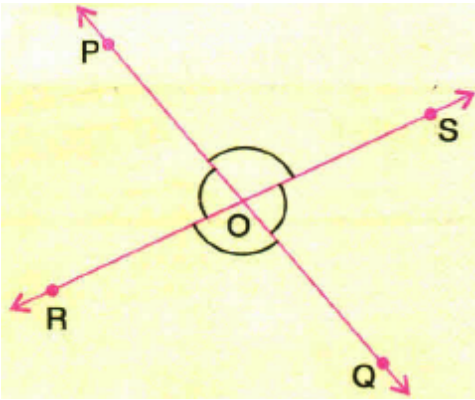
25) Find the value of x and y in the figure

2



26) In Figure lines PQ and RS intersect each other at point O, if  $\angle PQR = 5:7$  Find all the angles.

2



27) An exterior angle of a triangle is  $115^\circ$  and one of the interior opposite angles is  $35^\circ$

2

Find the other two angles of the triangle

28) In figure  $\angle B = 55^\circ$ ,  $\angle C = 45^\circ$  and the bisector of  $\angle A$  meets BC at D, find  $\angle ADB$  and  $\angle ADC$

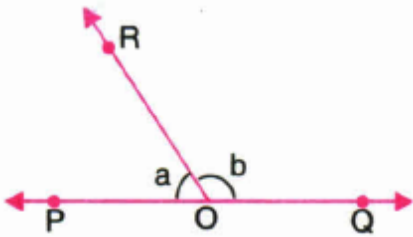
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29) An angle is equal to five times its supplement. Find the measure of the angle

2

30) In figure  $\angle POR$  and  $\angle QOR$  form a linear pair. If  $b - a = 60^\circ$  find the values of a and b.

2



31) In  $\triangle ABC$  if  $\angle A = (2X - 5)^\circ$ ,  $\angle B = (5X + 5)^\circ$ ,  $\angle C = (3X - 50)^\circ$  then find the values of x,  $\angle A$ ,  $\angle B$  and  $\angle C$

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32) find the angles of a triangle PQR if  $\angle P - \angle Q = 45^\circ$  and  $\angle Q - \angle R = 30^\circ$

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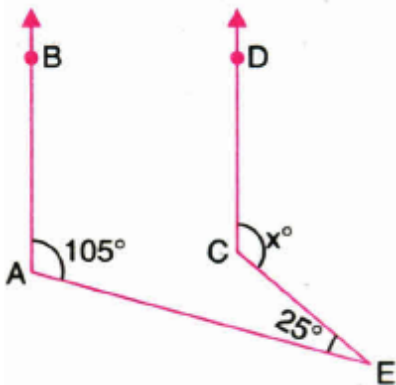
33) Let OA, AB, OC and OD be the rays in the anticlockwise direction starting from OA, such that

2

$\angle AOB = \angle COD = 100^\circ$ ;  $\angle AOD = \angle BOC = 80^\circ$  Is it true that AOC and BOD are straight lines? Justify your answer by drawing by drawing the figures.

34) In the given figure  $AB \parallel CD$  Find the value of x.

2



35) In  $\triangle PQR$ ,  $\angle P = 100^\circ$  and  $\angle R = 60^\circ$ , which side of the triangle is the longest. Give reasons for your answer.

2

36) In a parallelogram PQRS, if  $\angle QRS = 2x$ ,  $\angle PQS = 4x$ , and  $\angle PSQ = 4x$ , find the angles of the parallelogram.

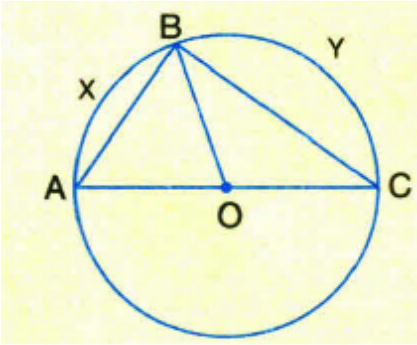
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37) If an angle of a parallelogram is two-third of its adjacent angle then find the measure of all the angles,

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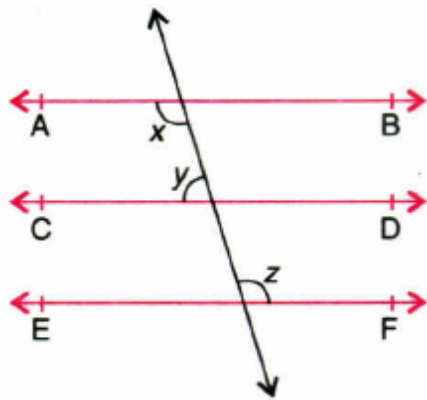
- 38) In the figure, AOC is a diameter of the circle and arc  $AXB = \frac{1}{2}$  arc  $BYC$ . Find  $\angle BOC$ .

2



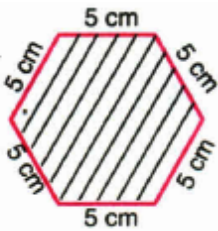
- 39) In figure if  $AB \parallel CD \parallel EF$  and  $y:z=3:7$ , find  $x$

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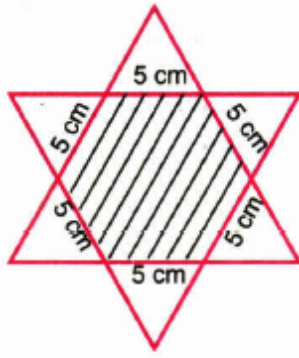


- 40) Complete the hexagonal and star shaped Rangolies [see figures (i) and (ii)] by filling them with as many equilateral triangles of side 1cm as you can. Count the number of triangles in each case. Which has more triangles?

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(i)



(ii)

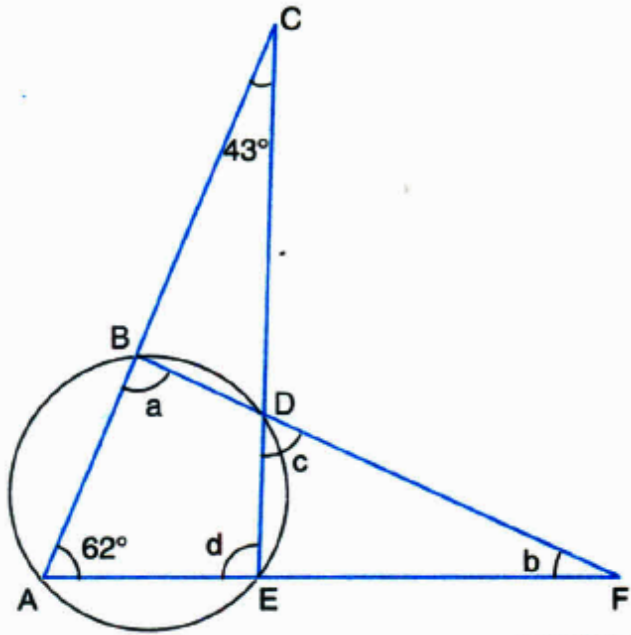
### Section-C

- 41) ABCD is a cyclic trapezium with  $AD \parallel BC$ . If  $\angle B = 70^\circ$ , determine other three angles of the trapezium.

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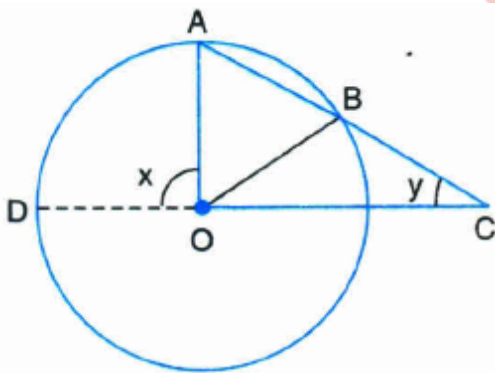
42) In the given figure, find the values of  $a$ ,  $b$ ,  $c$  and  $d$ . Given that  $\angle BCD = 43^\circ$  and  $\angle BAE = 62^\circ$ .

12



43) In the figure, chord AB of a circle with centre O, is produced to C such that  $BC = OB$ . CO is joined and produced to meet the circle in D. If  $\angle ACD = y$  and  $\angle AOD = x$ , show that  $x = 3y$ .

12



44) Prove that the opposite angles of an isosceles trapezium are supplementary.

12

45) ABCD is a cyclic quadrilateral. If AC bisects both the angles A and C then prove that  $\angle ABC = 90^\circ$ .

12

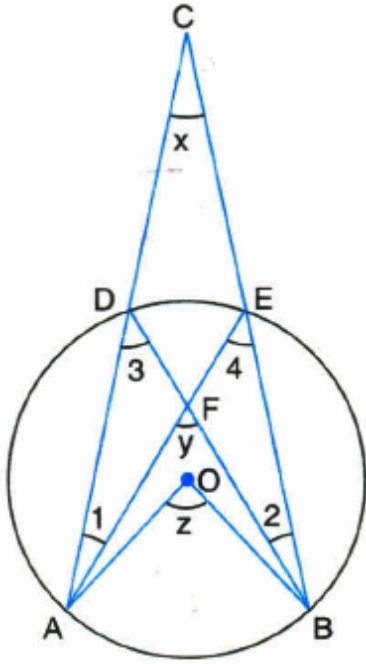
46) ABC is a triangle and P is a point on the side BC such that  $AB = AP$ . If AP produced meets the circumcircle of  $\triangle ABC$  at Q, prove that  $CP = CQ$ .

12

47) D is a point on the circumference of circumcircle of  $\triangle ABC$  in which  $AB = AC$  such that B and D are on opposite sides of AC. If CD is produced to point E such that  $CE = BD$ , prove that  $AD = AE$ .

12

48) If O is the centre of a circle as shown in figure, then prove  $x + y = z$ .



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**Section-A**

- |  |   |
|--|---|
| 1) (b) is greater than $90^0$ but less than $180^0$  | 1 |
| 2) (b) complementary angles                          | 1 |
| 3) (a) supplementary angles                          | 1 |
| 4) (a) is greater than $180^0$ but less than $360^0$ | 1 |
| 5) (b) complimentary angles                          | 1 |
| 6) (d) a right angle                                 | 1 |
| 7) (b) $120^0$                                       | 1 |
| 8) (d) $a^0$   | 1 |
| 9) (a) $90^0+9^0$                                    | 1 |
| 10) (a) $60^0, 30^0$                                 | 1 |
| 11) (c) $120^0$                                      | 1 |
| 12) (c) $60^0$                                       | 1 |
| 13) (b) $40^0, 50^0$                                 | 1 |
| 14) (b) two different ways                           | 1 |
| 15) (b) two directions                               | 1 |
| 16) (d) None of these                                | 1 |
| 17) (b) $180^0$                                      | 1 |
| 18) (b) $20^0$                                       | 1 |

- 19) (c)  $20^{\circ}$  1  
 20) (a) Equal 1

**Section-B**

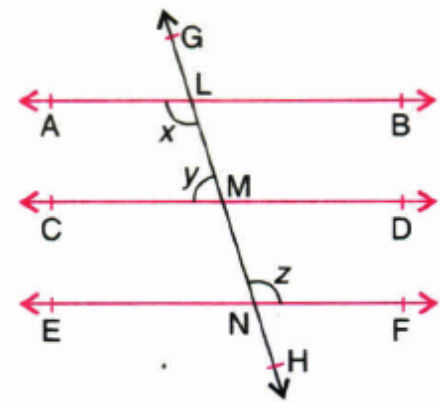
- 21)  $54^{\circ}$  2  
 22)  $x=50, 92^{\circ}$  and  $88^{\circ}$  2  
 23) (a) 28 (b) 26 2  
 24) Given, 2  
 $a - b = \frac{1}{6} \times 180^{\circ}$   
 $a - b = 30^{\circ} \dots(1)$   
 $a + b = 180^{\circ}$  (Linear pair)  $\dots(2)$   
 Adding (1) & (2),  $2a = 210^{\circ}$   
 $a = 105^{\circ}$   
 $b = 180^{\circ} - a = 180^{\circ} - 105^{\circ}$   
 $= 75^{\circ}$   
 25)  $x = 35^{\circ}$   $y = 105^{\circ}$  2  
 26)  $\angle PQR = 75^{\circ}, \angle ROQ = 105^{\circ}, \angle POS = 105^{\circ}, \angle SOQ = 75^{\circ}$  2  
 27)  $80^{\circ}, 65^{\circ}$  2  
 28)  $85^{\circ}, 95^{\circ}$  2  
 29)  $150^{\circ}$  2  
 30)  $60^{\circ}, 120^{\circ}$  2  
 31)  $13, 21^{\circ}, 70^{\circ}, 89^{\circ}$  2  
 32)  $100^{\circ}, 55^{\circ}, 25^{\circ}$  2  
 33) Yes ! AOC and BOD both are straight lines 2  
 34)  $130^{\circ}$  2  
 35) QR as  $\angle P$  is the greatest 2  
 36)  $36^{\circ}, 144^{\circ}, 36^{\circ}, 144^{\circ}$  2  
 37)  $72^{\circ}, 108^{\circ}, 72^{\circ}, 108^{\circ}$  2  
 38)  $120^{\circ}$  2





39)

2



and  $\because AB \parallel CD \quad CD \parallel EF \therefore AB \parallel EF$

Lines parallel to the same line are parallel to each other

$$\therefore x = z$$

Alternate Interior Angles

$$x + y = 180^\circ$$

Consecutive interior angles on the same side of a transversal GH to parallel lines AB and CD

From (1) and (2)

$$z + y = 180^\circ$$

$$y : z = 3 : 7$$

Sum of the ratios =  $3 + 7 = 10$

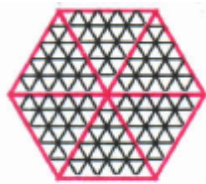
$$\therefore y = \frac{3}{10} \times 180^\circ = 54^\circ$$

$$\text{and } z = \frac{7}{10} \times 180^\circ = 126^\circ \therefore x = z = 126^\circ$$

40) (i) Number of triangles =  $25 \times 6$

2

$$= 25 + 25 + 25 + 25 + 25 + 25 = 150$$

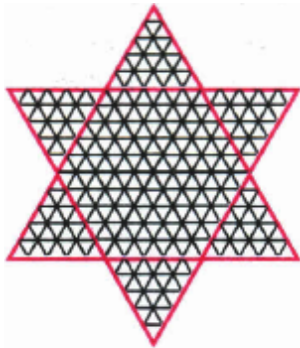


(i)

(ii) Number of triangles =  $25 \times 6 + 25 \times 6$

$$= 150 + 150$$

$$= 300$$



(ii)

Figure (ii) has more triangles.

**Section-C**

41) **Given:** ABCD is a cyclic trapezium with

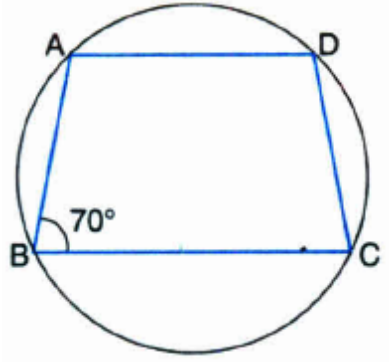
$AD \parallel BC$ .  $\angle B = 70^\circ$ .

**To determine:** Other three angles of the trapezium.

**Determination:**

$$\angle B + \angle D = 180^\circ$$

|  $\because$  Opposite angles of a cyclic quadrilateral are supplementary



$$\Rightarrow 70^\circ + \angle D = 180^\circ$$

$$\Rightarrow \angle D = 180^\circ - 70^\circ$$

$$\Rightarrow \angle D = 110^\circ$$

Again,  $\because AD \parallel BC$  and transversal AB intersects them

$$\therefore \angle A + \angle B = 180^\circ$$

|  $\because$  The sum of the consecutive interior angles on the same side of a transversal is  $180^\circ$

$$\Rightarrow \angle A + 70^\circ = 180^\circ$$

$$\Rightarrow \angle A = 180^\circ - 70^\circ$$

$$\Rightarrow \angle A = 110^\circ$$

$$\text{Also, } \angle A + \angle C = 180^\circ$$

|  $\because$  Opposite angles of a cyclic quadrilateral are supplementary

$$\Rightarrow 110^\circ + \angle C = 180^\circ$$

$$\Rightarrow \angle C = 180^\circ - 110^\circ$$

$$\Rightarrow \angle C = 70^\circ.$$

$$42) \angle c = \angle BAE$$

| An exterior angle of a cyclic quadrilateral is equal to its interior opposite angle

$$\Rightarrow \angle c = 62^\circ \quad \dots(1)$$

In  $\triangle AEC$ ,

$$\angle ACE + \angle CAE + \angle d = 180^\circ$$

| Angle sum property of a triangle

$$\Rightarrow 43^\circ + 62^\circ + \angle d = 180^\circ$$

$$\Rightarrow \angle d = 75^\circ \quad \dots(2)$$

$$\angle a + \angle d = 180^\circ$$

| Opposite angles of a cyclic quadrilateral are supplementary

$$\Rightarrow \angle a + 75^\circ = 180^\circ$$

$$\Rightarrow \angle a = 105^\circ \quad \dots(3)$$

In  $\triangle FDE$ ,

$$\angle c + (180^\circ - \angle d) + \angle b = 180^\circ$$

| Angle sum property of a triangle

$$\Rightarrow 62^\circ + (180^\circ - 75^\circ) + \angle b = 180^\circ$$

$$\Rightarrow \angle b = 13^\circ$$

43)

12

**Given:** Chord AB of a circle with centre O, is produced to C such that BC = OB. CO is joined and produced to meet the circle in D.  $\angle ACD = y$  and  $\angle AOD = x$ .

**To Prove:**  $x = 3y$

**Proof:** In  $\triangle BOC$ ,

$$\because BC = OB$$

$$\therefore \angle BOC = \angle BCO$$

| Angles opposite to equal sides of a triangle are equal

$$\Rightarrow \angle BOC = y \quad \dots(1)$$

In  $\triangle BOC$ ,

$$\angle OBA = \angle OBC + \angle BCO$$

|  $\therefore$  An exterior angle of a triangle is equal to the sum of its two interior opposite angles

$$= y + y$$

$$\Rightarrow = 2y \quad \dots(2)$$

In  $\triangle OAB$ ,

$$\because OA = OB$$

| Radii of the same circle

$$\therefore \angle OAB = 2y \quad \dots(3)$$

Now,  $\therefore$  DOC is a straight line

$$\therefore \angle AOD + \angle AOB + \angle BOC = 180^\circ$$

$$\Rightarrow x + \{180^\circ - (\angle OAB + \angle OBA)\} + y = 180^\circ$$

| Angle sum property of a triangle

$$\Rightarrow x + \{180^\circ - (2y + 2y)\} + y = 180^\circ$$

$$x = 3y$$

44) **Given:** ABCD is trapezium in which  $AD=BC$

**To prove:** Opposite angles of ABCD are supplementary.

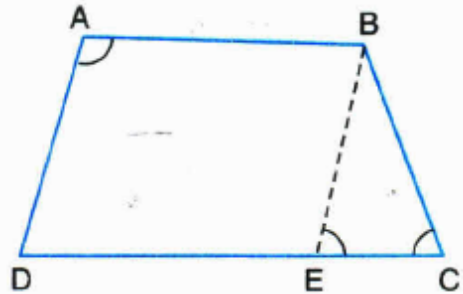
**Construction:** Draw  $BE \parallel AD$

**Proof:** In quadrilateral ABED,

$AB \parallel DE$  | Given

$AD \parallel BE$  | By construction

$\therefore$  Quadrilateral ABED is a parallelogram.



| A quadrilateral is a parallelogram if its both the pairs of opposite sides are parallel.

$\therefore \angle BAD = \angle BED$  ... (1)

| Opposite angles of a parallelogram are equal

But  $AD=BC$  | Given

$\therefore BE=BC$

$\therefore \angle BEC = \angle BCE$

| Angles opposite to equal sides of a triangle are equal

$\therefore \angle BEC = \angle BED = 180^\circ$

| Linear pair axiom

$\Rightarrow \angle BCE + \angle BED = 180^\circ$  | From (2)

$\Rightarrow \angle BCE + \angle BAD = 180^\circ$  | From (1)

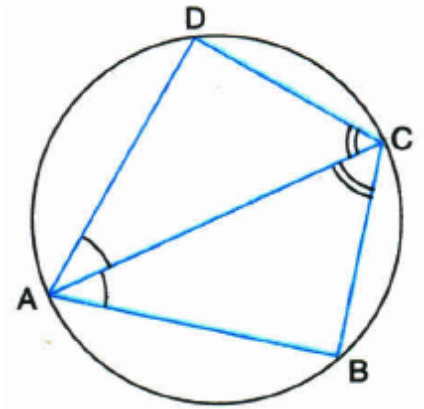
$\Rightarrow \angle BCD + \angle BAD = 180^\circ$

$\Rightarrow$  Opposite angles of ABCD are supplementary.

45) **Given:** ABCD is a cyclic quadrilateral. AC bisects both the angles A and C.

12

**To Prove:**  $\angle ABC = 90^\circ$



Proof: In  $\triangle ADC$  and  $\triangle ABC$ ,

$\angle DAC = \angle BAC$  |  $\because$  AC bisects angle A

$\angle DCA = \angle BCA$

|  $\because$  AC bisects angle C

AC=AC | Common

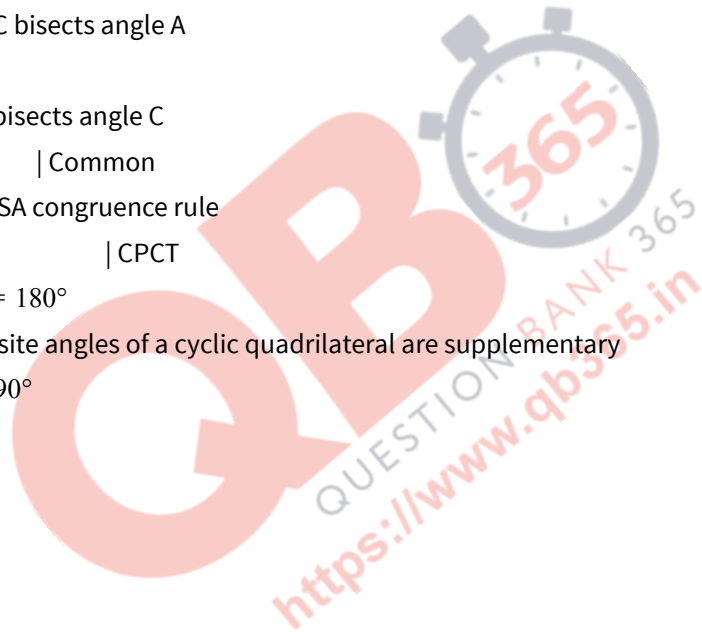
$\therefore \triangle ADC \cong \triangle ABC$  | ASA congruence rule

$\therefore \angle ADC = \angle ABC$  | CPCT

But  $\angle ADC + \angle ABC = 180^\circ$

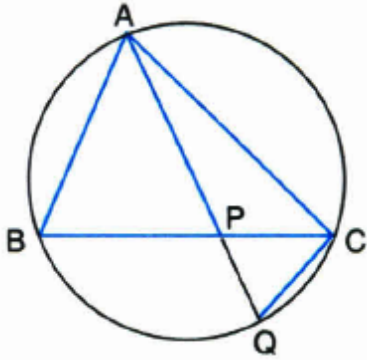
|  $\because$  Opposite angles of a cyclic quadrilateral are supplementary

$\therefore \angle ADC = \angle ABC = 90^\circ$



**Given:** ABC is a triangle and P is a point on the side BC such that AB = AP. AP produced meets the circumcircle of  $\triangle ABC$  at Q.

**To Prove:** CP=CQ



**Proof:** In  $\triangle ABP$  and  $\triangle CQP$ ,

$$\angle BAP = \angle QCP$$

| Angles in the same segment of a circle are equal

$$\angle ABP = \angle CPQ$$

| Vertically opposite angles

$$\therefore \triangle ABP \cong \triangle CQP$$

| AA criterion of similarity

$$\therefore \frac{AB}{CQ} = \frac{BP}{QP} = \frac{AP}{CP}$$

|  $\therefore$  Corresponding sides of two similar triangles are proportional

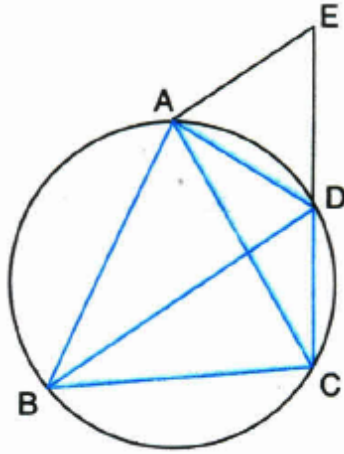
$$\Rightarrow \frac{AB}{CQ} = \frac{AP}{CP}$$

But  $AB=AP$  | Given

$$\therefore CQ=CP$$

**Given:** D is a point on the circumference of circumcircle of  $\triangle ABC$  in which  $AB = AC$  such that B and D are on opposite sides of AC. CD is produced to point E such that  $CE = BD$ .

**To Prove:**  $AD = AE$



**Proof:** In  $\triangle ACE$  and  $\triangle ABD$ ,

$$\angle ACE = \angle ABD$$

| Angles in the same segment of a circle are equal

$$AC = AB \quad | \text{ Given}$$

$$CE = BD \quad | \text{ Given}$$

$$\therefore \triangle ACE \cong \triangle ABD$$

| SAS congruence rule

$$\therefore AE = AD \quad | \text{ CPCT}$$

48) **Given:** O is the centre of a circle.

**To Prove:**  $x + y = z$

**Proof:**  $\angle 3 = \angle 4$

| Angles in the same segment of a circle are equal

$$\angle z = 2\angle 3$$

$$\Rightarrow \angle z = \angle 3 + \angle 3$$

$$\Rightarrow \angle z = \angle 3 + \angle 4 \quad \dots(1)$$

$$\text{Now } \angle y = \angle 3 + \angle 1 \quad \dots(2)$$

| An exterior angle of a triangle is equal to the sum of its two interior opposite angles

(1) - (2) gives

$$\angle z - \angle y = \angle 4 - \angle 1$$

$$\text{As } \angle 4 = \angle x + \angle 1 \Rightarrow \angle 4 - \angle 1 = \angle x$$

| An exterior angle of a triangle is equal to the sum of its two interior opposite angles

$$\Rightarrow \angle 4 - \angle 1 = \angle x \quad \dots(4)$$

From (3) and (4),

$$\angle z - \angle y = \angle x$$

$$\Rightarrow \angle x + \angle y = \angle z$$

$$\Rightarrow x + y = z$$