

**RD SHARMA**

**Solutions**

**Class 7 Maths**

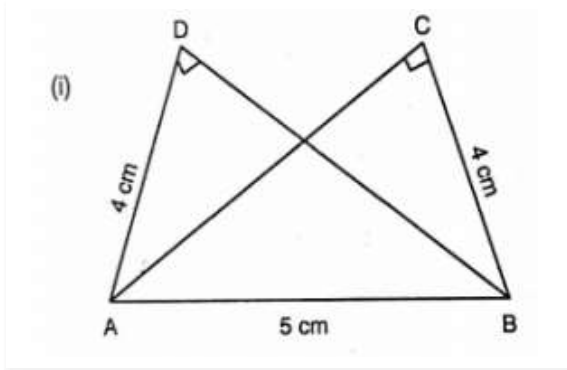
**Chapter 16**

**Ex 16.5**

Q1. In each of the following pairs of right triangles, the measures of some part are indicated along side. State by the application of RHS congruence conditions which are congruent, and also state each result in symbolic form.

Answer:

i)

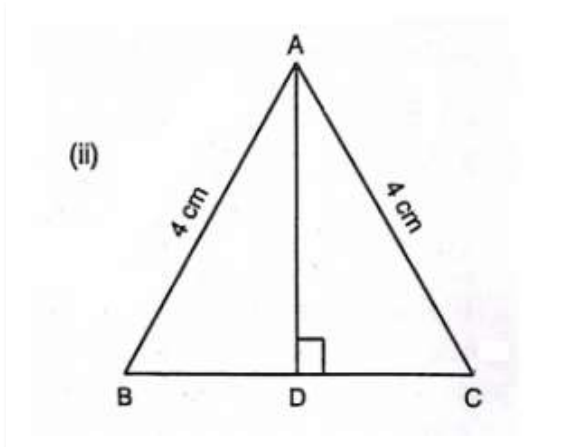


$$\angle ADC = \angle BCA = 90^\circ$$

$$AD = BC \text{ and hyp } AB = \text{hyp } AB$$

Therefore, by RHS  $\triangle ADB \cong \triangle ACB$

ii)



$$AD = AD \text{ (Common)}$$

$$\text{hyp } AC = \text{hyp } AB \text{ (Given)}$$

$$\angle ADB + \angle ADC = 180^\circ \text{ (Linear pair)}$$

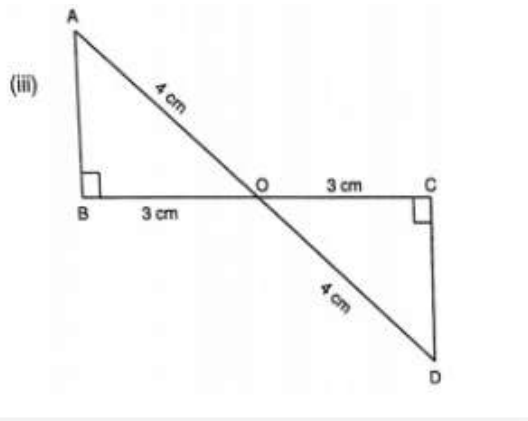
$$\angle ADB + 90^\circ = 180^\circ$$

$$\angle ADB = 180^\circ - 90^\circ = 90^\circ$$

$$\angle ADB = \angle ADC = 90^\circ$$

Therefore, by RHS  $\triangle ADB = \triangle ADC$

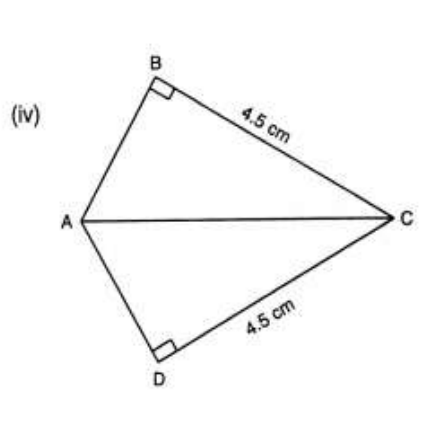
iii)



hyp AO = hyp DO BO = CO  $\angle B = \angle C = 90^\circ$

Therefore, by RHS,  $\triangle AOB \cong \triangle DOC$

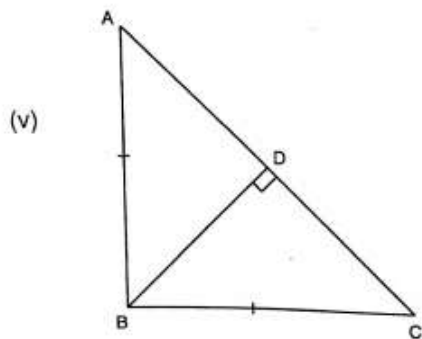
iv)



Hyp AC = Hyp AC BC = DC  $\angle ABC = \angle ADC = 90^\circ$

Therefore, by RHS,  $\triangle ABC \cong \triangle ADC$

v)



BD = DB Hyp AB = Hyp BC, as per the given figure,

$\angle BDA + \angle BDC = 180^\circ$

$\angle BDA + 90^\circ = 180^\circ$

$\angle BDA = 180^\circ - 90^\circ = 90^\circ$

$\angle BDA = \angle BDC = 90^\circ$

Therefore, by RHS,  $\triangle ABD \cong \triangle CBD$

Q2.  $\triangle ABC$  is isosceles with  $AB = AC$ .  $AD$  is the altitude from  $A$  on  $BC$ .

i) Is  $\triangle ABD \cong \triangle ACD$ ?

(ii) State the pairs of matching parts you have used to answer (i).

(iii) Is it true to say that  $BD = DC$ ?

Answer:

(i) Yes,  $\triangle ABD \cong \triangle ACD$  by RHS congruence condition.

(ii) We have used Hyp  $AB = AC$

$AD = DA$

$\angle ADB = \angle ADC = 90^\circ$  ( $AD \perp BC$  at point  $D$ )

(iii) Yes, it is true to say that  $BD = DC$  (c.p.c.t) since we have already proved that the two triangles are congruent.

Q3.  $\triangle ABC$  is isosceles with  $AB = AC$ . Also,  $AD \perp BC$  meeting  $BC$  in  $D$ . Are the two triangles  $ABD$  and  $ACD$  congruent? State in symbolic form. Which congruence condition do you use? Which side of  $\triangle ADC$  equals  $BD$ ? Which angle of  $\triangle ADC$  equals  $\angle B$ ?

Answer:

We have  $AB = AC$  ..... (i)

$AD = DA$  (common) ..... (ii)

And,  $\angle ADC = \angle ADB$  ( $AD \perp BC$  at point  $D$ ) ..... (iii)

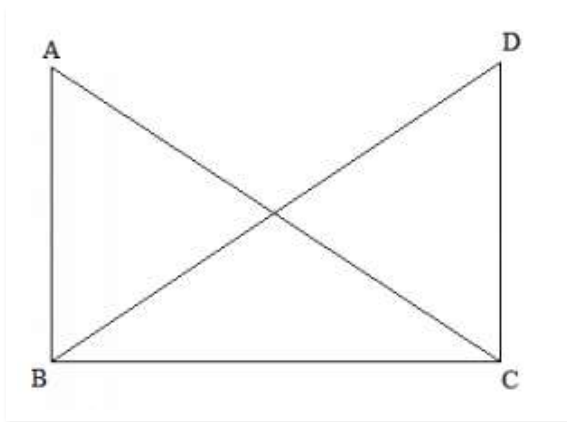
Therefore, from (i), (ii) and (iii), by RHS congruence condition,  $\triangle ABD \cong \triangle ACD$ , the triangles are congruent.

Therefore,  $BD = CD$ .

And  $\angle ABD = \angle ACD$  (c.p.c.t)

Q4. Draw a right triangle  $ABC$ . Use RHS condition to construct another triangle congruent to it.

Answer:



Consider

$\triangle ABC$  with  $\angle B$  as right angle.

We now construct another triangle on base  $BC$ , such that  $\angle C$  is a right angle and  $AB = DC$

Also,  $BC = CB$

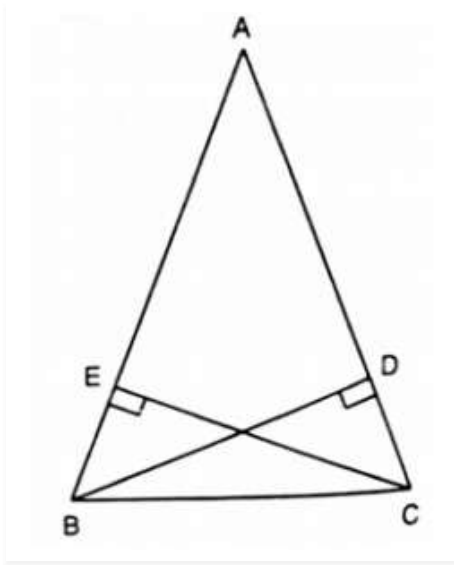
Therefore,  $BC = CB$

Therefore by RHS,  $\triangle ABC \cong \triangle DCB$

Q5. In figure,  $BD$  and  $CE$  are altitudes of  $\triangle ABC$  and  $BD = CE$ .

(i) Is  $\triangle BCD \cong \triangle CBE$ ?

(ii) State the three pairs or matching parts you have used to answer (i)



**Answer:**

(i) Yes,  $\triangle BCD \cong \triangle CBE$  by RHS congruence condition.

(ii) We have used hyp  $BC = \text{hyp } CB$

$BD = CE$  (Given in question)

And  $\angle BDC = \angle CBE = 90^\circ$